# A New Design of Cryptographic Hash Function: Gear 

Abdulaziz M Alkandari ${ }^{1}$, Khalil Ibrahim Alkandari², Imad Fakhri Alshaikhli³, Mohammad A. AlAhmad ${ }^{4}$<br>${ }^{1}$ Public Authority for Applied Education and Training College of Technology, Science Department, Kuwait City, Kuwait abdl_alkandari@hotmail.com<br>${ }^{2}$ Public Authoritȳ for Applied Education and Training The Higher Institute of Telecommunication \&Navigation<br>Computer Department, Kuwait City, Kuwait ki.alkandari@paaet.edu.kw<br>${ }^{3}$ Department of Computer Science, International Islamic University of Malaysia, 53100 Jalan Gombak Kuala Lumpur, Malaysia imadf@iium.edu.my ${ }^{4}$ Public Authority for Applied Education and Training College of Basic Education, Computer Science Department, P.O. Box 34567 Adailiyah, 73205, Kuwait City, Kuwait malahmads@yahoo.com


#### Abstract

A hash function is any function that can be used to map data of arbitrary size to data of fixed size. A hash function usually has two main components: a permutation function or compression function and mode of operation. We will propose a new concrete novel design of a permutation based hash functions called Gear in this paper. It is a hash function based on block cipher in Davies-Meyer mode. It uses the patched version of Merkle-Damgård, i.e. the wide pipe construction as its mode of operation. Thus, the intermediate chaining value has at least twice larger length than the output hash. And the permutations functions used in Gear are inspired from the SHA-3 finalist Grøestl hash function which is originally inspired from Rijndael design (AES). There is a very strong confusion and diffusion in Gear as a result.


Keywords- WP - permutation -block cipher - AES

## I. INTRODUCTION

To understand how to use and retail functions to verify the integrity and source of information, you must first examine the characteristics and the origin of the basic function retail. The standard hash function serves as a basis for the discussion of

Cryptographic Hash Functions. Cryptographic hash functions have indeed proved to be the workhorses for modern cryptographic hash functions. Another name given to cryptographic hash functions is "Swiss knife army" because it can serve many different purposes such as digital signatures, conventional message authentication to secure passwords storage or forensics data identification. Cryptographic hash functions take an unfixed size of input and produce a fixed size of an output.

A hash function usually built from two main components: (1) a basic primitive compression function $C$ and (2) an iterative mode of operation $H$, where the symbol HC denotes the hash function HC based on the compression function C . Most hash functions in use today are so-called iterated hash functions, i.e. Merkle-Damgård (MD), based on iterating a compression function.

Examples of iterated hash functions are MD4, MD5, SHA and RIPEMD-160. For a cryptographic hash function HC , if the compression function C is resistant to the following attacks, then the hash function considered secure:

- Preimage: given $y=H(x)$, find $x$ 'such that $H\left(x^{\prime}\right)=y$,
- 2nd preimage: given an $x$ and $y=H(x)$ find $x^{\prime} \neq x$ such that $H\left(x^{\prime}\right)=y$,
- Collision: find $x$ and $x^{\prime}$ such that $x^{\prime} \neq x$ and $H(x)=H\left(x^{\prime}\right)$.

Recently, several collisions were announced which decreased the security of some of the existing hash functions. Particularly, collisions were announced in SHA-0, MD4, MD5, HAVAL128, and RIPEMD. French researcher Antoine Joux et al. [17] presented the collision in SHA-0, and a group of collisions against MD4, MD5, HAVAL128, and RIPEMD were found by the Chinese researcher Xiaoyun Wang with co-authors Dengguo Feng, Lai, and Hongbo Yu [30]. After that, in February 2005, the same Xiaoyun Wang, Lisa Yiqun Yin, and Hongbo Yu found collisions in SHA-1 using 269 hash computations [30]. Several strategies were developed to thwart these
attacks. Stefan lucks et al. [23] introduced the Wide Pipe (WP) hash construction as an intermediate version of Merkle-Damgård to improve the structural weaknesses of MerkleDamgård design. The process is similar to MerkleDamgård algorithm steps except of having a larger internal state size, which means the final hash digest is smaller than the internal state size of bit length. For example, the final compression function compresses the internal state length (for ex, 2n-bits) to output a hash digest of n-bit. This simply can be achieved by discarding the last half of $2 n$-bit output. WP is used in this paper to construct Gearhash function. It is used as an operation of mode for Gear. Mridul Nandi and Souradyauti Paul et al. [31] proposed the fast wide pipe (FWP) construction to overcome these attacks. It is twice faster than the wide pipe construction. HAsh Iterated FrAmework (HAIFA) is also a patched version Merkle-Damgård construction [32]. HAIFA design solves many of the internal collision problems associated with the classic MD construction design by adding a fixed (optional) salt of s-bits along with a (mandatory) counter Ci of t-bits to every message block in the iteration i of the hash function. Wide-pipe and HAIFA are very similar designs. Where, sponge construction is an iterative construction designed by Guido Bertoni, Joan Daemen, MichealPeeter and Gilles Van Assche to replace Merkle-Damgård construction [2]. It is a construction that maps a variable length input to a variable length output. Keccak (SHA-3 winner) hash function uses sponge construction. In the next section, we demonstrate our new proposal Gear hash function in more details.

## II. OUR PROPOSAL

We propose a new hash function called Gear that supports $256-512$ bits digests. The basic building block of our hash is a block cipher. By applying standard design approaches next we create a compression function (based on the cipher), and finally a hash function. We use the following design techniques:

- The block cipher applies the wide trail strategy.
- A compression function based on the block cipher in Davies-Meyer mode.
- A hash built upon an iterative compression function with the Merkle-Damgård construction.
- A wide pipe construction, i.e. the intermediate chaining value has at least twice larger length than the output hash.
III. Design Goals

In the last several years, the notion of security has expanded to include not only the basic requirements on collisions and second preimage resistance, but also a wide variety of distinguishers. So, the main design goal of any modern hash function is the security of the construction. In fact, non-formally a hash function is supposed to behave as a random oracle. Although in this model, trivial distinguishers do exist for every hash function, the designers aim to construct hash function that will be resistant against all possible non-trivial distinguishers, i.e. the hash does not exhibit any structural distinguishers, and, in a line of notation from the Sponge design [2], it is a hermetic design.
We aim to achieve this high security requirement with our proposal as well. More precisely, we would like to achieve the standard security margin against the following attacks and structural distinguishers:

- No collisions can be found in n-bit Gear with significantly less than $2 n$ hash function invocations
- No (second) preimage can be found in nbit Gear with significantly less then $2 n$ invocations
- No non-trivial structural distinguishers can be found for Gear with a complexity significantly lower than the complexity required to find (or confirm) such property in a secure hash function (such as SHA-2, SHA-3, etc.)Here, we would like to point out that the deviation "significantly lower" from "lower" is introduced to annulate the analysis based on the recently discovered bicliques[7] - the latest results suggest that such analytical results are most likely applicable to all cryptographic primitives, thus one cannot expect the achieve the ideal security level. On the other hand, the complexity of the attacks not based on granulation of the compression function (i.e. all other analysis except bicliques), should always exceed our claimed security bound.


## IV. DESCRIPTION OF GEAR

Our proposal Gearis a wide pipe hash function with an internal state of 1024 bits. It supports digests of 1 to 512 bits. For security reasons, we suggest a minimal output of 256 bits - further we describe the two main versions Gear- 256 and Gear-512, with an output length of 256 and 512
bits, respectively. We emphasize that these two versions, as well as all the possible versions with a hash output between 256 and 512 bits, are based on the same primitive, and differ only in the number of bits that are truncated at the output of the primitive. Our hash function is based on a cipher C-Gear used in the DaviesMeyer mode to build a compression function. We use Merkle-Damgård to construct the hash upon this compression function. Further we describe in details the cipher and give a brief recall of the mode.

## A. The Cipher C-Gear

The block cipher C-Gear(P, K) is an SP network with 16 rounds and designed according to the wide trail strategy. It has a state of 1024 bits and supports 1024-bit keys. The state as well as the key is seen as $8 x 16$ matrix of bytes - with ai,j,bi,j,i $=0, \ldots, 7, j=0, \ldots, 15$ we denote the individual bytes of the state and key matrices, respectively.

In each of the 16 rounds, the state $S$ undergoes four byte-oriented transformations, i.e. round $R$ can be represented as:
$R=A K \circ M C \circ S R \circ S B$
Where $A K, M C, S R, S B$ are acronyms for AddRoundKey, MixColumns, ShiftRows, and SubBytes, respectively. An additional AddRoundKey is perform at the beginning of the state update transformations (known as key prewhitening).

The 1024-bitsubkeyKiused in the i-th round is produced from the previous subkeyKi-1 with similar operations:

$$
\mathrm{Ki}=\mathrm{AC} \circ \mathrm{MC} \circ \mathrm{SR} \circ \mathrm{SB}(\mathrm{Ki}-1)
$$

Where AC stands for AddRound Constant. The prewhitening key K0 is the initial master key. The round and key schedule transformations are the standard operations used in most of the Rijndaelbased primitives. For completeness of the description, in the sequel we give a brief definition. The superscripts new, old are used to denote the updated, previous values for the bytes (or the columns).

SubBytes (SB). This transformation is the only non-linear part of the cipher. It consists of independent application of $8 \times 8$ bit S-box to all the bytes of the state (or the subkey), etc.

$$
\begin{aligned}
\mathbf{a}_{i, j}^{\text {new }} & =\mathbf{S}\left(\mathbf{a}_{i, j}^{\text {old }}\right), \\
\mathbf{b}_{i, j}^{\text {new }} & =\mathbf{S}\left(\mathbf{b}_{\mathbf{i}, j}^{\text {old }}\right) .
\end{aligned}
$$

We use the invertible AES S-box $S(\cdot)$ for this purpose which is a composition of a finite field inversion and an affine transformation. The
precise definition of the S-box is given in Table 1 in the form $S(X 1 X 2)=Y$.

ShiftRows (SR). It performs a cyclic shift of the rows of the matrix on different offsets that depend on the row index. The value of the offsets ria, rib, $i=0, \ldots, 7$ is different for the state and the key schedule:

$$
\begin{aligned}
& a_{i, j}^{\text {new }}=a_{i, j+r_{a}^{i} \bmod 16}^{\text {old }} \\
& b_{i, j}^{\text {new }}=b_{i, j+r_{b}^{i} \bmod 16^{\prime}}
\end{aligned}
$$

The precise values are given in Table 2.
MixColumns (MC). The diffusion among the bytes is achieved with this transformation. It is a multiplication of the columns aj,bj of the state/subkeys by a matrix M :

$$
\begin{aligned}
& {a_{j}^{\text {new }}}^{=}=M \cdot{a_{j}^{\text {old }}}^{b_{j}^{\text {new }}}=M \cdot b_{j}^{\text {old }}
\end{aligned}
$$

Where $M$ is defined as:


Table 1: The S-box used in Gear

| $\mathrm{X}_{1} / \mathrm{X}_{2}$ | 0 |  |  |  | 3 |  |  | 6 | 7 | 8 | 9 | a | b | c | d | e | f |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 |  |  |  |  | b |  |  | f | c5 | 30 | 01 | 67 | 2b | fe | d7 | ab |  |
| 1 |  |  |  |  |  |  |  |  | f0 | ad | d4 | 2 | af | 9c |  | 72 |  |
| 2 |  |  |  |  |  |  |  |  | cc | 34 | a5 | e5 | f1 | 71 | d8 | 31 |  |
| 3 |  |  |  |  | 3 |  |  |  | 9a | 07 | 12 | 80 | e2 | eb | 27 | b2 |  |
| 4 |  |  | 3 |  | 1a |  |  | a | a |  | 3b | d6 | b3 | 29 |  | $2 f$ | 84 |
| 5 |  |  | 1 |  |  |  |  | 1 |  |  | cb | be | 39 | 4 a |  | 58 | cf |
| 6 |  |  | f | aa | b |  |  | 3 | 85 | 45 | f9 | 02 | $7 f$ | 50 |  | 9 f |  |
| 7 |  |  | 3 |  | f |  |  | 8 | 5 | bc | b6 | da | 21 | 10 | ff | f3 |  |
| 8 | c |  |  | 3 | c |  | 7 | 4 | 17 | c4 | a7 | 7 e | 3d | 64 | 5d | 19 |  |
| 9 |  |  | 1 | f | c |  |  |  | 88 | 46 | ee | b8 | 14 | de | 5 | Ob |  |
| a |  |  | 2 | a | a |  |  |  |  | c2 | d3 | ac | 62 |  | 95 | e4 |  |
| b |  |  | 8 | 7 | d |  |  |  |  |  | 56 | f4 | ea |  | 7 a | ae | 08 |
| c |  |  |  | 5 | e |  |  |  |  |  | dd | 74 | 1f |  |  | 8b | 8 a |
| d |  |  | e | 5 | 6 |  | 3 |  | Oe |  | 35 | 57 |  |  |  | 1 d | 9 e |
| e |  |  |  | 8 | 1 |  |  | e | 94 |  | 1 e | 87 |  |  |  | 28 |  |
| f |  |  |  |  | d |  | 6 | 2 | 68 | 41 | 99 | 2d | Of | bo | 54 | bb | 16 |

Table 2: The offsets used in ShiftRows

| Row | State offset <br> $\mathrm{r}_{\mathrm{a}}^{\mathrm{i}}$ | Key schedule offset <br> $\mathrm{r}_{\mathrm{b}}^{i}$ |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 1 | 1 | 2 |
| 2 | 2 | 4 |
| 3 | 3 | 5 |
| 4 | 5 | 6 |
| 5 | 6 | 8 |
| 6 | 7 | 9 |
| 7 | 8 | 10 |

We emphasize that the same matrix is used for both the state and key schedule. The
multiplication is performed in $\operatorname{GF}(28)$ defined with the irreducible polynomial $x 8+x 4+x 3+x+1$.

AddRoundKey (AK). The 1024-bitsubkey is xored to the state. The XOR can be seen as bytewise, i.e.:

$$
a_{i, j}^{\text {new }}=a_{i, j}^{\text {old }} \oplus b_{i, j}
$$

AddRoundConstant (AC). A constant Ci is xored to the subkey Ki - in a similar fashion, it can be represented as a byte-wise operation. The value of the constants is dependent on the index i. It is defined as:

$$
C_{i}=\left(\begin{array}{ccccccccc}
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
\mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \ldots & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} & \mathrm{ff} \\
i \oplus 0 & i \oplus 1 & i \oplus 2 & i \oplus 3 & \ldots & i \oplus c & i \oplus \mathrm{~d} & i \oplus e & i \oplus f
\end{array}\right)
$$

## A. The Hash Function Gear

Once we have defined C-Gear, we use a standard approach to build a hash function based on this cipher. First, we define the compression function CF. It takes two inputs: 1024-bit chaining value Hi and 1024-bit message Mi , and produces 1024-bit chaining value $\mathrm{Hi}+1$ with Davies-Meyer mode of C-Gear, i.e.:
$\mathrm{Hi}+1=\mathrm{CF}(\mathrm{Hi}, \mathrm{Mi})=\mathrm{C}-\mathrm{Gear}(\mathrm{Hi}, \mathrm{Mi}) \oplus \mathrm{Hi}$
Further, we use this compression function to build a hash function with the MerkleDamgårdconstruction. Briefly, we fix an initial chaining value HO equal to the first 128 bytes of the fractional part of $\pi$ (see Table 3). We pad the message $M$ (see below how the padding is performed), and split the expanded message into 1024-bits chunks Mi. Next, we iterate all the message blocks using the compression function based on the Merkle-Damgård construction:

$$
\mathrm{HO}=\mathrm{IV}
$$

$$
\mathrm{Hi}+1=\mathrm{CF}(\mathrm{Hi}, \mathrm{Mi})
$$

When the expanded message contains I blocks, the output $\mathrm{HI}+1$ is used to produce the final hash based on truncation, i.e. the hash of $M$ is $\operatorname{tr}(\mathrm{HI}+1)$, there $\operatorname{tr}(\mathrm{X})$ truncates the leftmost bits of $X$, depending on the hash size.

Table 3: The initial chaining value H0

24 3F 6A 8885 A3 08 D3 1319 8A 2E 03707344 A4 09382229 9F 31 D0 08 2E FA 98 EC 4E 6C 89 452821 E6 38 D0 1377 BE 5466 CF 34 E9 OC 6C C0 AC 29 B7 C9 7C 50 DD 3F 84 D5 B5 B5 470917 9216 D5 D9 8979 FB 1B D1 31 0B A6 98 DF B5 AC 2F FD 72 DB D0 1A DF B7 B8 E1 AF ED 6A 26 7E 96
BA 7C 9045 F1 2C 7F 9924 A1 9947 B3 91 6C F7 0801 F2 E2 85 8E FC 16636920 D8 7157 4E 69

Thus, for256-bit digests, $\operatorname{tr}(\mathrm{X})$ outputs the 256lefttmost (most significant) bits of $X$, while for 512-bit digest this number is 512. In general, for Gear-n, $\operatorname{tr}(X)$ outputs the $n$ most significant bits of the last produced chaining value $\mathrm{HI}+1$.

The padding. This procedure produces expanded message Me from the original input message $M$. It assures that the length (in bits) of $M$ is properly encoded into the expanded message Me, and the length of Me is divisible by 1024. To achieve this we use a trivial padding by attaching a required number of 0 's to make the last message block1024 bits, and always introduce an addition message block at the end that contains the length of $M$ only.

Let $M$ has $t$ bits. Then from $M$, first we produce $\mathrm{Me}^{\sim}=\mathrm{MOO} . .0$, where the number of 0 's is 1024( t mod 1024) when t is not divisible by 1024 otherwise we do not attach any 0's. Next, we attach an additional 1024-bit block that contains $1024-64=940$ zeros, while the last 64 bits are equal to $t$, i.e. the expanded message is defined as $\mathrm{Me}=\mathrm{Me}^{\sim} 00 \ldots 0$ tbinary.

Endian and mappings. Our hash function is little endian oriented - it regards 64-bit words as 8 bytes in reverse order (with the least significant byte coming first). Furthermore, the mapping of byte sequence to matrix of the state (or the key schedule) is from left to right, and top row to bottom row. For example, the 128-byte sequence al, . . . , al28 is mapped to the matrix as follows:

| $a_{1}$ | $a_{2}$ | $a_{3}$ | $\ldots$ | $a_{16}$ |
| :---: | :---: | :---: | :---: | :---: |
| $a_{17}$ | $a_{18}$ | $a_{19}$ | $\ldots$ | $a_{32}$ |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |
| $a_{113}$ | $a_{114}$ | $a_{115}$ | $\ldots$ | $a_{128}$ |

## V. PSEUDO CODE AND TEST VECTORS

The pseudo codes of state round, keyschedule round, C-Gear and Gear is given in Algorithm 1-4 respectively

Algorithm 1 State Round(S, Ki)
$S \leftarrow$ SubBytes(S)
$S \leftarrow$ ShiftRows(S)
$S \leftarrow$ MixColumns(S)
$\mathrm{S} \leftarrow$ AddRoundKey(S, Ki)
end
Algorithm 2 KeySchedule Round(Ki, i)
$\mathrm{Ki}+1 \leftarrow$ SubBytes(Ki)
$\mathrm{Ki}+1 \leftarrow$ ShiftRows $(\mathrm{Ki}+1)$
$\mathrm{Ki}+1 \leftarrow \mathrm{MixColumns}(\mathrm{Ki}+1)$
$\mathrm{Ki}+1 \leftarrow$ AddRoundConstant $(\mathrm{Ki}+1, \mathrm{i})$
end
Algorithm $3 \mathrm{C}-\operatorname{Gear}(\mathrm{P}, \mathrm{K})$
$\mathrm{S} \leftarrow$ AddRoundKey $(\mathrm{P}, \mathrm{K}) \mathrm{KO} \leftarrow \mathrm{K}$
fori $=0$ to 15 do
$\mathrm{Ki}+1 \leftarrow$ KeyScheduleRound( $\mathrm{Ki}, \mathrm{i}$ )
$\mathrm{S} \leftarrow$ State Round(S) end for
end
Algorithm 4 Gear(M)
$\mathrm{MO}|\mathrm{M} 1| \ldots \mid \mathrm{MI} \leftarrow \operatorname{padded}(\mathrm{M}) \mathrm{H} 0=\mathrm{IV}$
fori= 0 to $I$ do
$\mathrm{Hi}+1=\mathrm{C}-\mathrm{Gear}(\mathrm{Hi}, \mathrm{Mi}) \oplus \mathrm{Hi}$
end for
output truncated(HI)
end
A list of test vectors in given in Table 4.
Table 4: Test vectors for Gear-512

| Gear (" ") |
| :---: |
| 8798dbba48ffd3b62e239b549499c09b |
| 3d4637273489f9061f5e1d8d214e31ae |
| 1dc13d88a561c5594c9937ee864140e9 |
| 7f7b93ffd27e79251d4755a20eca60a4 |
| Gear ("The quick brown fox jumps over the lazy dog") |
| 9b182c6da0010a92e6df1dd67515764b |
| 53a909aecc9be8dbf1c47bf876b4be42 |
| 7b96491fbf8e2e90453b4ac9cabf4b5d |
| 73394019ca7801d11307e8d000eed3e2 |
| Gear ("The quick brown fox jumps over the lazy dag") |
| 257269675f2d432ba8dbece0b25d4ac9 |
| a95450c9788a6ef65cee1d1e349b7ed4 |
| a13e0302d0d8204f17832933896ac7e4 |
| 4b9709fd6ddb0f86732200955b51648e |

## VI. CONCLUSION

In this paper, we have presented a new cryptographic hash function Gear that supports digests of up to 512 bits. Our proposal is based on the wide trail strategy and uses an underlying block cipher with 1024 bit key and state. We use mode and construction with longstanding security analysis. Future research might include Hash Function Gear in different constructions as its mode of operation.

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