# AN INTEGRATION METHOD FOR SUPPLIER SELECTION: A PRACTICAL STUDY IN THE INDONESIAN CONCRETE COMPANY

#### AGUS RISTONO\*

Department of Industrial Engineering, University of Pembangunan Nasional Veteran Yogyakarta, Yogyakarta, Indonesia

\*Corresponding author: agus.ristono@upnyk.ac.id

(Received: 13 January 2025; Accepted: 10 March 2025; Published online: 15 May 2025)

ABSTRACT: The construction of toll roads in Indonesia has massively increased the need for concrete. Therefore, concrete manufacturing companies must select new raw material suppliers for concrete. This selection is based on several criteria, including qualitative and quantitative criteria. This study proposes a new methodology for supplier selection. The model captures decision-makers' dynamics in ranking suppliers by integrating quantitative and qualitative criteria. The first stage in the proposed model is determining the criteria using the Fuzzy Delphi Method (FDM). The second stage is weighting the criteria using the Fuzzy Step-wise Assessment Ratio (F-SWARA) II and the Method Based on Removal Effects of Criteria (MEREC). The last stage is supplier assessment using Fuzzy Measurement of Alternatives and Ranking According to Compromise Solution (F-MARCOS). One of Indonesia's largest concrete manufacturing companies was used to validate the proposed model. The results showed that the proposed model is valid and more effective than some previous methods. The company in the case study experienced a 5% reduction in production costs in the later stages of the toll project, following several months of implementation, indicating the effectiveness of the proposed methodology.

ABSTRAK: Pembinaan jalan tol di Indonesia telah meningkatkan keperluan konkrit secara besar-besaran. Oleh itu, syarikat pembuatan konkrit mesti memilih pembekal bahan mentah baru konkrit. Pemilihan ini berdasarkan beberapa kriteria, termasuk kriteria kualitatif dan kuantitatif. Kajian ini mencadangkan metodologi baru untuk pemilihan pembekal. Model ini menfokuskan pembuat keputusan dinamik dalam kedudukan pembekal dengan menyepadu kedua-dua kriteria kuantitatif dan kualitatif. Peringkat pertama dalam model yang dicadangkan ini adalah menentukan kriteria menggunakan Kaedah Rawak Delphi (FDM). Peringkat kedua adalah menimbang kriteria menggunakan Nisbah Pentaksiran Rawak Langkah-Bijak (F-SWARA) II dan kaedah berdasarkan Kriteria Kesan Pengasingan (MEREC). Peringkat terakhir merupakan penilaian pembekal menggunakan Solusi Kompromi berdasarkan Pengukuran Rawak Alternatif dan Kedudukan (F-MARCOS). Salah satu syarikat pembuatan konkrit terbesar di Indonesia telah digunakan bagi mengesahkan model yang dicadangkan. Dapatan kajian menunjukkan bahawa model yang dicadangkan ini adalah sah dan lebih berkesan berbanding beberapa kaedah sebelumnya. Syarikat dalam kes kajian mengalami pengurangan 5% dalam kos pengeluaran pada peringkat akhir projek tol, iaitu selepas beberapa bulan pelaksanaan, menunjukkan keberkesanan metodologi yang dicadangkan.

**KEYWORDS:** Fuzzy Delphi Method, F-SWARA II, MEREC, F-MARCOS, Supplier selection

## 1. INTRODUCTION

The Ministry of Public Works (PU) Indonesia plans to construct freeways or toll roads along 17,865.43 kilometers (km) between 2025 and 2040. Meanwhile, Java is the island most connected to toll roads, with an operating toll road length of 1,632.63 km. However, this length is still far from the total planned toll road length, which is 4,688.94 km. Due to this policy implemented by the Indonesian government, concrete will be required. PT Wika Beton, one of Indonesia's leading concrete manufacturers, will enhance its production capacity to prepare for the anticipated rise in demand for concrete. As a result, acquiring materials from additional raw material providers is essential.

PT Wika Beton selects its suppliers not for the short term but to establish long-term partners. This is mainly because raw materials are an essential component and play a crucial role in the development of our organization. In the long term, suppliers are required to ensure the availability of essential materials. Consequently, it is imperative to identify the appropriate supplier. Suppliers are indispensable to the organization's supply chain. Supply chain management significantly influences enterprise performance and profitability. Consequently, it is imperative to cultivate positive relationships with suppliers and preserve a robust supply chain.

Supplier selection can be done using Multi-Criteria Decision Making (MCDM). There are manyCDM, such as Analytical Hierarchy Process (AHP), Analytic Network Process (ANP), Preference Ranking Organization Method for Enrichment Evaluations (PROMETHEE), VIšekriterijumska Optimizacija I Kompromisno Rešenje (VIKOR), Technique for Order of Preference by Similarity to Ideal Solution (TOPSIS), Elimination et Choix Traduisant la Réalité/Elimination and Choice Expressing Reality (ELECTRE), Multi-Objective Optimization based on Ratio Analysis (MOORA), Complex Proportional Assessment (COPRAS), and the Measurement of Alternatives and Ranking according to the Compromise Solution (MARCOS). Recent studies show the latest developments in supplier selection methods, including four strategies [1]. They are (1) utilizing fuzzy logic, which is suitable for the dynamic and data-rich environment of Industry 4.0; (2) using mixed MCDM strategies to handle the complex problems of supplier selection in Industry 4.0; (3) using hybrid fuzzy MCDM techniques, which offer a more thorough and complex decision-making process [1].

The MARCOS method demonstrates high stability in ranking options than others [2]. It can identify the optimal solution regardless of the number of alternatives or the weighting method employed [3]. The criteria in MARCOS consist of qualitative and quantitative criteria, so both need to be weighted. Qualitative criteria can only be assessed using the decision maker's perception, while quantitative criteria can be evaluated based on historical supplier data. The primary limitation of subjective weighting is its ineffectiveness as the number of criteria increases, including additional criteria, which can lead to decreased accuracy in these preferences [4]. The combined weighting approach reduces the potential bias associated with a singular subjective or objective weight [4].

Throughout its evolution, MARCOS has found extensive utility in addressing issues related to supplier selection. Badi and Pamucar [5] used the MARCOS system to choose the best supplier and the Grey theory to establish the criteria weights in steel companies. Chattopadhyay et al. [6] proposed the D number theory to incorporate MARCOS into the supplier selection process in the iron and steel sector. Taş et al. [7] employed F-MARCOS and Spherical Fuzzy Stepwise Weight Assessment Ratio Analysis (SF-SWARA) to identify environmentally conscious vendors for textile businesses. To help textile businesses choose ecologically friendly vendors, Tus and Aytac-Adali [8] presented a strategy that merges F-

SWARA and F-MARCOS. Abdulla et al. (2023) suggested integrating MARCOS with machine learning for supplier selection. Y. Wang et al. [9] present two methods for selecting sustainable food suppliers: PF-CRITIC, which uses Pythagorean fuzzy measurement of alternatives and ranking to compromise, and PF-MARCOS, which uses weights to determine the criterion. The position of the proposed method in supplier selection research utilizing MARCOS is illustrated in Table 1.

	Criteria	Criteria	weighting	Alternativ	e selection	Case
Ref	selection	Objective method	Subjective method	Original MARCOS	Extended MARCOS	
[5]	-	-	Grey method	MARCOS	-	Steel-making company
[6]	-	-	-	-	D-MARCOS	Steel and iron industry
[7]	-	-	SF-SWARA	-	Fuzzy MARCOS	Green suppliers in textile companies
[8]	-	-	F-SWARA	-	Fuzzy MARCOS	Green suppliers in textile companies
[10]	_	-	-	MARCOS	-	General
[11]	-	-	Machine learning	MARCOS	-	Oil and gas sector
[9]	-	PF-CRITIC	-	-	PF- MARCOS	Sustainable food suppliers
Proposed method	Fuzzy Delphi	MEREC	F-SWARA II	-	Fuzzy MARCOS	Concrete manufacturing company

Table 1. Supplier selection research using MARCOS

Previous research on supplier selection utilizing MARCOS only partially used subjective or objective weighting. Such as Badi and Pamucar [5], Taş et al. [7], Tus and Aytac-Adali [8], and Abdulla et al. [11] used only subjective criteria for weighting. Whereas Y. Wang et al. [9] used only objective weighting. However, not all criteria can be weighed objectively or subjectively. It depends on its characteristics. So, it is prone to bias [4]. In addition, the criteria in previous studies already exist. The process of determining these criteria is essential in selecting suppliers [4], The proposed method then employs Fuzzy Delphi for criteria selection and integrates objective and subjective criteria weighting.

## 2. METHODS

The proposed method has three stages. The first stage is determining the supplier selection criteria using FDM. The second stage is weighting criteria using F SWARA II and MEREC. The last stage is supplier assessment. Some potential criteria are selected using FDM to produce the chosen criteria. The chosen criteria consist of qualitative criteria and quantitative criteria. Qualitative criteria are weighted using F SWARA II, while quantitative criteria are weighted using MEREC. Supplier performance assessment using F MARCOS based on weighted criteria. The criteria are based on the weighting of F SWARA II and MEREC.

The selection of criteria uses FDM because FDM can reduce subjectivity in decision-making based on expert opinion, produce more objective agreement in the early stages of research or selection of essential factors, and does not require many iterations compared to classical Delphi [12]. The objective criteria weighting uses MEREC because MEREC is a more

efficient, precise, and accurate objective weighting than other methods [3]. The MEREC is recommended for application because of its high accuracy [3]. The subjective criteria weighting uses SWARA because SWARA is more straightforward than other subjective methods, and experts can participate more spontaneously [13]. Supplier assessment uses MARCOS because it is more stable than other MCDM [2] and can always find the best one, no matter how many options are considered or how the weights are distributed [3].

## 2.1. Fuzzy Delphi Method

Compared to other expert-based methods (such as AHP or fuzzy AHP), the FDM can obtain expert consensus to determine essential factors or variables in a study [14]. AHP or fuzzy AHP can only choose the priority weight between criteria and alternatives in the multi-criteria decision-making process [1]. The FDM's steps are:

- Step 1: Expert panel. This document includes the division head and all procurement, building, and commissioning staff members. They have been employed by comparable organizations for over 15 years, which is why their responses are credible. Ten specialists satisfy these procurement, building, and commissioning prerequisites. This investigation exclusively employed the cases of PT. Wika Beton. All of the specialists selected are experts in supplier selection at PT. Wika Beton, which is why they are the population used in FDM.
- Step 2: List of the potential criteria. The most widely used criteria in the literature are price, reject, delivery [6], and service [8]. Price and reject are critical criteria because they directly affect the company's profit. The delivery and service criteria affect production lead time and its impact on increasing penalty costs. This will reduce the company's profit. In the FGD with decision makers at the largest concrete company in Indonesia, additional criteria were obtained: communication and flexibility. These two criteria have an impact on company trust. The selection of suppliers in concrete manufacturing is not only temporary but also for the long term.
- Step 3: The experts measure each criterion using linguistic variables (LV). The  $\mu_{\tilde{n}}$  ranges from 1 to 0 in the LV, from Very Suitable to Very Unsuitable, as seen in Table 2. A score is represented as a TFN  $\tilde{n}_i^k = (n_{1i}^k, n_{2i}^k, n_{3i}^k)$  [14].
- Step 4.a: Determining threshold value  $(Th_i)$  using Eq. (1) [14]. The minimum threshold on each criterion i is 0.2 [15].

$$Th_i = \left(\frac{1}{K}\right) \sum_{k=1}^{K} \sqrt{\frac{1}{3} \left[ (n_{i1}^k - a_{i1})^2 + (n_{i2}^k - a_{i2})^2 + (n_{i3}^k - a_{i3})^2 \right]}$$
(1)

• **Step 4.b**: Testing the experts' consensus using Eq. (2) [14]. The minimum level of experts' consensus is 75% for every criterion [15].

$$EA_i = \left\{ \frac{\sum_{k=0}^K \left(c_i^k\right) \left\{ c_i^{k=1, if \ d \le 0.2} \atop 0, \quad otherwise} \right\} \times 100\%$$
 (2)

• Step 4.c: Defuzzification. The aggregate TFN is calculated using Eqs. (3) [14]. Then the calculation of the  $\alpha$ -cut using Eq. (4) [14] which this value must be more than 0.5 [15].

$$\tilde{n}_i = \left(\min(n_{i1}^k), \left[\prod_{k=1}^K n_{i2}^k\right]^{\frac{1}{K}}, \max(n_{i3}^k)\right)$$
 (3)

$$\alpha_{cut} = n_{i1} + \frac{(n_{i3} - n_{i1}) + (n_{i2} - n_{i1})}{3} \tag{4}$$

The diagram of the FDM can be seen in Figure 1. After forming the expert panel, the second step is collecting data from experts. The questionnaire is given to the expert panel. The answers are converted to fuzzy numbers. After that, the fuzzy average calculation is carried out. The third step is defuzzification (conversion to crisp value) to obtain a precise value. The fourth step is determining the Expert consensus, namely, the minimum threshold on each criterion i is 0.2; the minimum level of experts' consensus is 75% for each criterion; and the  $\alpha$ -cut value must be more than 0.5. If the factors do not reach consensus, reiterate with a revised questionnaire. Final Decision Factors that reach consensus are included in the analysis. After iteration, factors that still do not meet consensus can be removed or reviewed.

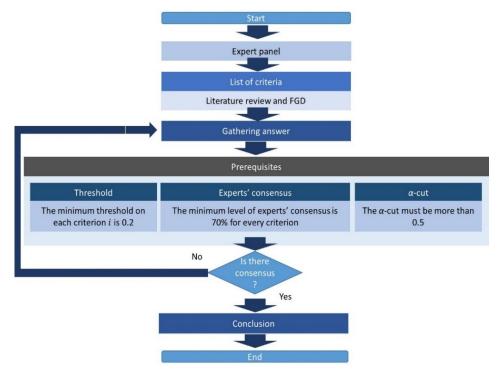


Figure 1. Flow chart of the FDM [12].

Table 2. Scale of fuzzy numbers in the FDM

No	5-Point LV	Most reasonable $(n_2)$	Pessimistic value $(n_1)$	Optimistic value $(n_3)$
1	Very Suitable	0.9	0.8	1
2	Suitable	0.7	0.6	0.8
3	Acceptable	0.5	0.4	0.6
4	Unsuitable	0.3	0.2	0.4
5	Very Unsuitable	0.1	0	0.2

## 2.2. Fuzzy SWARA II

SWARA II is an improved version of SWARA, as presented by Keshavarz-Ghorabaee [16]. However, specific adjustments to the methodology make SWARA II more attainable and practical for decision-makers. This study proposed integrating fuzzy theory with the SWARA II to enhance its intrinsic ambiguity and account for data imprecision and uncertainty. The steps of the Fuzzy SWARA II are as follows and can be seen in Figure 2.

- **Step 1**: Determination of the rank of the  $j^{th}$  criterion using the symbol  $t_j$   $(t_i \in \{1, 2, 3, ..., n\})$ .
- Step 2: Ask the decision-maker to specify each criterion's relative preference  $(\widetilde{RP})$  by comparing it  $([t_j]^{th})$  with the following criterion  $([t_j + 1]^{th})$  in the prioritized list from Step 1. This study employs linguistic variables (LVs) and associated values, as illustrated in Table 3.
- Step 3: Determine each criterion's fuzzy number of the preference degree  $(\widetilde{PD})$  using Eq. (5).

$$\widetilde{PD}_{[t_j]} = u \left[ \widetilde{P}_{[t_j]} \right] = \left[ \frac{\widetilde{P}_{[t_j]}}{10} \right]^2 \tag{5}$$

• Step 4: Calculate the fuzzy number of the relative weighting coefficients using Eq. (6). The coefficients are established based on the arrangement of each criterion within the ordered list and the corresponding fuzzy number values of  $\widetilde{PD}$ . Starting from the *n*th criterion, the following equation is utilized for calculation.

$$\widetilde{V}_{[t_j-1]} = \left(1 + \widetilde{PD}_{[t_j-1]}\right) \cdot \widetilde{V}_{[t_j]} \tag{6}$$

• Step 5: The relative weights of the evaluation criteria are determined using Eq. (7).

$$\widetilde{W}_{j}^{S} = \frac{\widetilde{V}_{[t_{j}]}}{\widetilde{V}_{[t_{1}]} \oplus \widetilde{V}_{[t_{2}]} \oplus \dots \widetilde{V}_{[t_{n}]}} \tag{7}$$

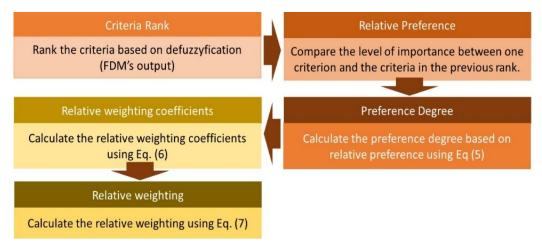


Figure 2. Step of the F SWARA II.

#### **2.3. MEREC**

The MEREC stages in the proposed method can be seen in Çelebi Demirarslan et al. [17]. The MEREC calculates weights based on the contribution of each criterion to the total difference between alternatives [17]. In contrast, the CRITIC is based on the correlation between criteria [18], and Entropy is based on the probability distribution of data in the criteria [19]. Therefore, the CRITIC is ineffective if there is no correlation between the criteria [18], and conversely, Entropy is useless if there is a correlation between criteria [19]. However, the MEREC is unaffected by the presence or absence of correlation between criteria [17]. The MEREC is not very sensitive to data scale because it is based on variation between criteria [17]. At the same time, the CRITIC is less flexible for data with different scales, especially if

the data is not normalized first [18]. The entropy is sensitive to un-normalized data, requiring more careful preprocessing [19]. Although the Entropy is easy to implement and calculate, it is less accurate if the data has a uniform distribution pattern, because the weights can become insignificant [19]. At the same time, the MEREC is not affected by such patterns.

# 2.4. Fuzzy MARCOS

The proposed method's F-MARCOS stages can be seen in Stanković et al. [20]. Table 3 illustrates the transformation of the linguistic variable into a fuzzy initial decision matrix.

Table 3. Scale of fuzzy numbers

No	9-Point LV in the F MARCOS [20]	Relative Preference $(n_1, n_2, n_3)$	9-Point LV in the F SWARA II	Relative Preference $(n_1, n_2, n_3)$
1	Extremely poor (EP)	(1, 1, 1)	Very very low (VVL)	(1, 1, 2)
2	Very poor (VP)	(1, 1, 3)	Very low (VL)	(1, 2, 3)
3	Poor (P)	(1, 3, 3)	Low (L)	(2, 3, 4)
4	Medium poor (MP)	(3, 3, 5)	Medium-low (ML)	(3, 4, 5)
5	Medium (M)	(3, 5, 5)	Medium (M)	(4, 5, 6)
6	Medium good (MG)	(5, 5, 7)	Medium-high (MH)	(5, 6, 7)
7	Good (G)	(5, 7, 7)	High (H)	(6, 7, 8)
8	Excellent (VG)	(7, 7, 9)	Very high (VH)	(7, 8, 9)
9	Extremely good (EG)	(7, 9, 9)	Very very high (VVH)	(8, 9, 9)

Table 4. Linguistic variable of the criteria assessment

					Criteria			
		$\mathcal{C}_1$	$C_2$	$C_3$	$C_4$	$C_5$	$C_6$	C <sub>7</sub>
1	$D_1$	Very Suitable	Very Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
2	$D_2$	Very Suitable	Very Suitable	Suitable	Suitable	Suitable	Very Suitable	Acceptable
3	$D_3$	Suitable	Very Suitable	Very Suitable	Very Suitable	Very Suitable	Suitable	Suitable
4	$D_4$	Very Suitable	Suitable	Suitable	Suitable	Suitable	Acceptable	Very Suitable
5	$D_5$	Very Suitable	Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
6	$D_6$	Suitable	Very Suitable	Suitable	Acceptable	Suitable	Very Suitable	Very Suitable
7	$D_7$	Very Suitable	Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
8	$D_8$	Very Suitable	Suitable	Suitable	Suitable	Acceptable	Very Suitable	Suitable
9	$D_9$	Very Suitable	Very Suitable	Acceptable	Very Suitable	Acceptable	Suitable	Very Suitable
10	$D_{10}$	Very Suitable	Very Suitable	Acceptable	Suitable	Very Suitable	Suitable	Very Suitable

					Cuitania			
					Criteria			
		$\mathcal{C}_1$	$C_2$	$C_3$	$C_4$	$C_5$	$C_6$	$C_7$
1	$D_1$	Very Suitable	Very Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
2	$D_2$	Very Suitable	Very Suitable	Suitable	Suitable	Suitable	Very Suitable	Acceptable
3	$D_3$	Suitable	Very Suitable	Very Suitable	Very Suitable	Very Suitable	Suitable	Suitable
4	$D_4$	Very Suitable	Suitable	Suitable	Suitable	Suitable	Acceptable	Very Suitable
5	$D_5$	Very Suitable	Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
6	$D_6$	Suitable	Very Suitable	Suitable	Acceptable	Suitable	Very Suitable	Very Suitable
7	$D_7$	Very Suitable	Suitable	Very Suitable	Very Suitable	Acceptable	Suitable	Suitable
8	$D_8$	Very Suitable	Suitable	Suitable	Suitable	Acceptable	Very Suitable	Suitable
9	$D_9$	Very Suitable	Very Suitable	Acceptable	Very Suitable	Acceptable	Suitable	Very Suitable
10	$D_{10}$	Very Suitable	Very Suitable	Acceptable	Suitable	Very Suitable	Suitable	Very Suitable

Table 5. Fuzzy number of the criteria assessment linguistic variable

## 3. RESULTS

#### 3.1. Criteria selection

Seven evaluation criteria were established to identify the optimal supplier for PT Wika Beton: reject  $(c_1)$ , delivery  $(c_2)$ , price  $(c_3)$ , communication  $(c_4)$ , complaint procedure  $(c_5)$ , service  $(c_6)$ , and flexibility  $(c_7)$ . Table 4 presents the assessment criteria decision-makers utilize in their expert evaluations—step two. The experts' responses on the 5-point linguistic scale were converted into a fuzzy number consisting of three specific values:  $n_1$ ,  $n_2$ , and  $n_3$ .

		Criteria											
	_	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$	$C_4$	$C_5$	$C_6$	$C_7$					
1	$D_1$	0.04	0.04	0.04	0.04	0.36	0.16	0.16					
2	$D_2$	0.04	0.04	0.16	0.16	0.16	0.04	0.36					
3	$D_3$	0.16	0.04	0.04	0.04	0.04	0.16	0.16					
4	$D_4$	0.04	0.16	0.16	0.16	0.16	0.36	0.04					
5	$D_5$	0.04	0.16	0.04	0.04	0.36	0.16	0.16					
6	$D_6$	0.16	0.04	0.16	0.36	0.16	0.04	0.04					
7	$D_7$	0.04	0.16	0.04	0.04	0.36	0.16	0.16					
8	$D_8$	0.04	0.16	0.16	0.16	0.36	0.04	0.16					
9	$D_9$	0.04	0.04	0.36	0.04	0.36	0.16	0.04					
10	$D_{10}$	0.04	0.04	0.36	0.16	0.04	0.16	0.04					
	$d(\tilde{n}_i^k, \tilde{a}_i)$	0.64	0.88	1.52	1.20	2.36	1.44	1.32					
k=1	$Th_i$	0.06	0.09	0.15	0.12	0.24	0.14	0.13					

Table 6. The threshold

Table 6 presents the results of this step. The criterion  $c_5$  ( $Thc_5$ ) has a threshold value over 0.2, and the expert agreement is under 70%, leading to its removal. It transforms the computed

0.13

average fuzzy rating score for each criterion i into its corresponding crisp values [14] utilizing Eq. (4).

**Condition of Defuzzification Process** Triangular Fuzzy Numbers Threshold Percentage of Experts' Fuzzy Number Experts Criteria Ranking Value Agreement (A) Consensus  $C_1$ 0.06 100% 0.819 1 Accepted 0.09 100% 0.8052 Accepted  $C_2$ 3 80% 6  $C_3$ 0.15 0.708 Accepted  $C_4$ 0.12 90% 0.722 3 Accepted 5 0.24 50% 7 Not Accepted  $C_5$ 0.674 5 90% Accepted  $C_6$ 0.24 0.710

Table 7. The expert's agreement value

Table 8. The results of F SWARA II

0.716

4

Accepted

90%

N	Criteria	Fuzzy	BnFP	[±.]	$\widetilde{RP}$		$\tilde{P}_{[t_j]}$			$\widetilde{PD}_{[t_j]}$			$\tilde{V}_{[t_j]}$		$\widetilde{W}_{i}^{s}$
0	Citteria	number	DIII1	$\lfloor t_j \rfloor$	KΓ	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	vv <sub>j</sub>
1	$c_4$	$n_{41}$ 0.400 $n_{42}$ 0.767 $n_{43}$ 1.000	0.722	1	ML	3.00	4.00	5.00	0.09	0.16	0.25	1.36	1.58	1.86	0.31 0.40 0.52
2	c <sub>6</sub>	$n_{61}$ 0.400 $n_{62}$ 0.748 $n_{63}$ 1.000	0.716	2	МН	5.00	6.00	7.00	0.25	0.36	0.49	1.25	1.36	1.49	0.29 0.35 0.41
3	<i>c</i> <sub>7</sub>	$n_{71}$ 0.400 $n_{72}$ 0.730 $n_{73}$ 1.000	0.710	3	VL	1.00	2.00	3.00	0.01	0.04	0.09	1.00	1.00	1.00	0.23 0.25 0.28

## 3.2. Criteria weighting

Three subjective criteria exist: communication  $(c_4)$ , service  $(c_6)$ , and flexibility  $(c_7)$ . Table 8 is obtained using the F-SWARA II steps. The fuzzy weights for the subjective criteria are  $c_4 = (0.33; 0.40; 0.33)$ ,  $c_6 = (0.33; 0.35; 0.33)$ , and  $c_7 = (0.33; 0.25; 0.33)$ . Three objective criteria exist: reject  $(c_1)$ , delivery  $(c_2)$ , price  $(c_3)$ . In contrast to subjective data, objective data are clear and precise. The objective data includes minimum, average, and maximum values—the application of objective criteria weighting through MEREC. The initial phase of MEREC involves the creation of a decision matrix. The second and third steps involve normalizing the decision matrix and assessing the overall performance of suppliers. The fourth step consists of calculating by removing each criterion. The fifth step is calculating the outcome effect of removing the  $j^{th}$  criterion. The final step involves establishing the criteria's weights. The MEREC method, as described by Çelebi Demirarslan et al. [17], is employed to carry out these steps, resulting in Table 9. According to Table 10, the fuzzy weights for the objective criteria are  $c_1 = (0.290; 0.330; 0.340)$ ,  $c_2 = (0.230; 0.232; 0.349)$ , and  $c_3 = (0.361; 0.428; 0.440)$ .

 $N_{ij}^a$  $S_{ij}^{\prime a}$  $E_i^a$  $D_{i,i}^a$  $S_{ij}^a$ Supplier  $C_2$  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_1$  $C_3$  $C_3$ PT.ISBS 0.295 0.07 4 60 0.714 0.750 0.667 0.208 0.221 0.189 0.087 0.074 0.106 PT.MS 0.05 3 50 1.000 1.000 0.800 0.072 0.072 0.072 0.000 0.072 2 0.000 0.000 PT.CBS 0.065 4 0.769 0.750 0.208 0.201 0.069 0.076 0.108 60 0.667 0.276 0.168 PT.JCT 0.06 3 40 0.833 1.000 1.000 0.059 0.000 0.059 0.059 0.059 0.000 0.000 Weight( $w_i^a$ ) 0.330 0.230 0.440  $D_{i,i}^b$  $N_{ii}^b$  $E_i^b$  $S_{ij}^b$ Supplier  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_3$ 1 PT.ISBS 0.09 4.4 80 0.778 0.909 0.192 0.120 0.165 0.109 0.072 0.027 0.082 0.750 PT.MS 0.07 4.2 70 1.000 0.952 0.065 0.050 0.000 0.015 0.049 2 0.857 0.065 0.016 3 0.085 PT.CBS 5.2 80 0.824 0.769 0.222 0.168 0.149 0.142 0.053 0.073 0.080 0.750 0.000 1.000 0.044 0.000 0.044 0.000 PT.JCT 0.08 60 0.875 1.000 0.044 0.044 4 Weight( $w_i^b$ ) 0.340 0.232 0.428  $D_{ii}^c$  $N_{ii}^{c}$  $S_{i,i}^{\prime c}$  $E_i^c$  $S_{ij}^c$ Supplier  $C_2$  $C_1$  $C_3$  $C_1$  $C_2$  $C_3$  $C_1$  $C_2$  $C_3$  $C_2$  $C_3$  $C_1$ PT.ISBS 1 0.11 6 100 0.818 0.833 0.800 0.184 0.127 0.132 0.120 0.057 0.052 0.064 2 PT.MS 0.09 5 1.000 0.039 0.039 0.000 0.000 0.000 0.039 90 1.000 0.889 0.039 3 PT.CBS 0.105 100 0.833 0.044 0.065 6 0.857 0.800 0.171 0.1270.118 0.106 0.053 0.035 PT.JCT 0.1 6 80 0.900 0.833 1.000 0.092 0.059 0.092 0.033 0.057 0.000 Weight( $w_i^c$ ) 0.290 0.349 0.361

Table 9. The results of MEREC

## 3.3. Supplier Evaluation

Five decision-makers evaluated the suppliers as experts following the predetermined criteria; the results are summarized in Table 10. The geometric mean of the fuzzy initial decision matrix is employed to construct the initial matrix, as illustrated in Table 11. The subsequent phase entails the development of an extended initial fuzzy matrix (see Table 12). The extension involves the identification of the fuzzy ideal and fuzzy anti-ideal solutions. The third stage consists of normalizing the data to guarantee its awareness. The results of the normalization procedure are summarized in Table 13.

Following the normalization of the initial matrix, the aggregated values are calculated in the fourth step utilizing the weighting coefficients derived from the preceding phase. The fourth step's result is in Table 14. The calculation of the fuzzy utility degree takes place in the fifth step. Identifying the ideal and anti-ideal solutions was crucial for executing this step. Anti-ideal values represent the minimum acceptable level of a specific criterion, while the perfect solution indicates the maximum standard of that criterion. The utility degrees were determined by aggregating the values of each supplier in conjunction with the ideal and anti-ideal solutions. The sixth step of the F-MARCOS method involves defining the utility function of the suppliers. The utility function for the ideal and anti-ideal solutions was computed to determine this function. The final value of the suppliers was determined by incorporating these values, which established their ranking.

Table 10. Linguistic variable and fuzzy parameter of supplier assessment

F	Expert PT.ISBS		S		PT.M	S		PT.CI	BS	PT.JCT			
E	xpert	$C_1$	$C_2$	$C_3$	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$
1	$Ex_1$	MG	M	EG	MG	MP	EG	M	VP	VG	G	M	VP
2	$Ex_2$	M	MP	EG	VG	G	G	MP	P	G	MG	VG	MP
3	$Ex_3$	M	MG	EG	P	MP	MG	MP	MG	EG	M	MG	G
4	$Ex_4$	M G	P	VP	VP	EG	EG	M	G	P	G	EG	P
5	$Ex_5$	EG	MP	EG	M	EG	P	VG	MG	M	MP	VG	M
F	xpert		PT.ISB	S		PT.MS			PT.CBS	<b>S</b>		PT.JCT	
	хреге	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$	$\mathcal{C}_1$	$\mathcal{C}_2$	$\mathcal{C}_3$	$\mathcal{C}_1$	$C_2$	$\mathcal{C}_3$
1	$Ex_1$	(5,5,7)	(3,5,5)	(7,9,9)	(5,5,7)	(3,3,5)	(7,9,9)	(3,5,5)	(1,1,3)	(7,7,9)	(5,7,7)	(3,5,5)	(1,1,3)
2	$Ex_2$	(3,5,5)	(3,3,5)	(7,9,9)	(7,7,9)	(5,7,7)	(5,7,7)	(3,3,5)	(1,3,3)	(5,7,7)	(5,5,7)	(7,7,9)	(3,3,5)
3	$Ex_3$	(3,5,5)	(5,5,7)	(7,9,9)	(1,3,3)	(3,3,5)	(5,5,7)	(3,3,5)	(5,5,7)	(7,9,9)	(3,5,5)	(5,5,7)	(5,7,7)
4	$Ex_4$	(5,5,7)	(1,3,3)	(1,1,3)	(1,1,3)	(7,9,9)	(7,9,9)	(3,5,5)	(5,7,7)	(1,3,3)	(5,7,7)	(7,9,9)	(1,3,3)
5	$Ex_5$	(7,9,9)	(3,3,5)	(7,9,9)	(3,5,5)	(7,9,9)	(1,3,3)	(7,7,9)	(5,5,7)	(3,5,5)	(3,3,9)	(7,7,9)	(3,5,5)
F	vnart		PT.ISB	S		PT.MS			PT.CBS	5		PT.JCT	[
E	xpert	$C_4$	$\frac{\mathbf{PT.ISB}}{C_6}$	$\frac{\mathbf{S}}{C_7}$	$C_4$	$\frac{\text{PT.MS}}{c_6}$	$C_7$	$C_4$	$\frac{\text{PT.CBS}}{C_6}$	$C_7$	$C_4$	$\frac{\mathbf{PT.JCT}}{C_6}$	C <sub>7</sub>
1 E	$\frac{\mathbf{xpert}}{Ex_1}$	<i>C</i> <sub>4</sub> M			<i>C</i> <sub>4</sub> P			<i>C</i> <sub>4</sub> M			<i>C</i> <sub>4</sub> M		
	_		$C_6$	$C_7$		$C_6$	$C_7$		$C_6$	$C_7$		$C_6$	$C_7$
1	$Ex_1$	М	C <sub>6</sub>	C <sub>7</sub> EG	P	C <sub>6</sub>	C <sub>7</sub>	M	С <sub>6</sub>	C <sub>7</sub> EG	M	C <sub>6</sub>	<i>C</i> <sub>7</sub> G
1 2	$Ex_1$ $Ex_2$	M M G	C <sub>6</sub> MG P	C <sub>7</sub> EG VP	P VP	C <sub>6</sub> MP EG	C <sub>7</sub> MG EG	M M	С <sub>6</sub> М G	C <sub>7</sub> EG P	M VG	C <sub>6</sub> MG VG	C <sub>7</sub> G VP
1 2 3	$Ex_1$ $Ex_2$ $Ex_3$	M M G EG	C <sub>6</sub> MG P MP	C <sub>7</sub> EG VP EG	P VP M	C <sub>6</sub> MP EG EG	C <sub>7</sub> MG EG P	M M VG	C <sub>6</sub> M G MG	C <sub>7</sub> EG P M	M VG MP	C <sub>6</sub> MG VG VG	C <sub>7</sub> G VP M
1 2 3 4 5	$Ex_1$ $Ex_2$ $Ex_3$ $Ex_4$ $Ex_5$	M M G EG M	C <sub>6</sub> MG P MP MP	C <sub>7</sub> EG VP EG EG VG	P VP M EG	C <sub>6</sub> MP EG EG MG	C <sub>7</sub> MG EG P MG EG	M M VG MP	C <sub>6</sub> M G MG	C <sub>7</sub> EG P M G VG	M VG MP MG	C <sub>6</sub> MG VG VG VG	C <sub>7</sub> G VP M MP VP
1 2 3 4 5	$Ex_1 \\ Ex_2 \\ Ex_3 \\ Ex_4$	M M G EG M	C <sub>6</sub> MG P MP MP MP	C <sub>7</sub> EG VP EG EG VG	P VP M EG	C <sub>6</sub> MP EG EG MG MP	C <sub>7</sub> MG EG P MG EG	M M VG MP	C <sub>6</sub> M G MG P VP	C <sub>7</sub> EG P M G VG	M VG MP MG	C <sub>6</sub> MG  VG  VG  VG  M	C <sub>7</sub> G VP M MP VP
1 2 3 4 5	$Ex_1$ $Ex_2$ $Ex_3$ $Ex_4$ $Ex_5$	M M G EG M G	C <sub>6</sub> MG P MP MP MP MP PT.ISB	C <sub>7</sub> EG VP EG EG VG	P VP M EG MG	C <sub>6</sub> MP EG EG MG MP	C <sub>7</sub> MG EG P MG EG	M M VG MP M	C <sub>6</sub> M G MG P VP	EG P M G VG	M VG MP MG G	C <sub>6</sub> MG  VG  VG  VG  PT.JCT	C <sub>7</sub> G VP M MP VP
1 2 3 4 5	$Ex_1$ $Ex_2$ $Ex_3$ $Ex_4$ $Ex_5$ <b>xpert</b>	M G EG M G	$C_6$ MG P MP MP MP PT.ISB	$C_7$ EG VP EG EG VG S	P VP M EG MG	$\mathcal{C}_6$ MP EG EG MG MP PT.MS	$C_7$ MG EG P MG EG EG	M M VG MP M	$C_6$ M  G  MG  P  VP  PT.CBS $C_6$	$C_7$ EG P M G VG S	M VG MP MG G	$egin{array}{c} \mathcal{C}_6 \\  ext{MG} \\  ext{VG} \\  ext{VG} \\  ext{VG} \\  ext{M} \\  ext{\textbf{PT.JCT}} \\  ext{$\mathcal{C}_6$} \\  ext{} \end{array}$	$C_7$ $C_7$ $C_7$ $C_7$
1 2 3 4 5 <b>E</b>	$Ex_1$ $Ex_2$ $Ex_3$ $Ex_4$ $Ex_5$ <b>xpert</b>	M G EG M G (3,5,5)	C <sub>6</sub> MG P MP MP MP PT.ISB C <sub>6</sub> (5,5,7)	$C_7$ $EG$ $VP$ $EG$ $EG$ $VG$ $S$ $C_7$ $(7,9,9)$	P VP M EG MG	C <sub>6</sub> MP EG EG MG MP  PT.MS  C <sub>6</sub> (3,3,5)	C <sub>7</sub> MG EG P MG EG EG C <sub>7</sub>	M M VG MP M	C <sub>6</sub> M G MG P VP  PT.CBS  C <sub>6</sub> (3,5,5)	$ \begin{array}{c} C_7 \\ EG \\ P \\ M \\ G \\ VG \end{array} $ $ \begin{array}{c} C_7 \\ (7,9,9) \end{array} $	M VG MP MG G	C <sub>6</sub> MG VG VG VG M  PT.JCT C <sub>6</sub>	$C_7$ $G$ $VP$ $M$ $MP$ $VP$ $C_7$ $C_7$
1 2 3 4 5 <b>E</b>	$Ex_1$ $Ex_2$ $Ex_3$ $Ex_4$ $Ex_5$ <b>xpert</b> $Ex_1$ $Ex_2$	M G EG M G (3,5,5) (5,5,7)	$C_6$ MG P MP MP MP  PT.ISB: $C_6$ (5,5,7) (1,3,3)	$C_7$ EG VP EG EG VG S $C_7$ $(7,9,9)$ $(1,1,3)$	P VP M EG MG	C <sub>6</sub> MP EG EG MG MP  PT.MS  C <sub>6</sub> (3,3,5) (7,9,9)	C <sub>7</sub> MG EG P MG EG  C <sub>7</sub> (5,5,7) (7,9,9)	M M VG MP M (3,5,5) (3,5,5)	C <sub>6</sub> M G MG P VP  PT.CBS  C <sub>6</sub> (3,5,5) (5,7,7)	C <sub>7</sub> EG P M G VG S  C <sub>7</sub> (7,9,9) (1,3,3)	M VG MP MG G	C <sub>6</sub> MG VG VG M  PT.JCT  C <sub>6</sub> (5,5,7) (7,7,9)	$C_7$ $G$ $VP$ $M$ $MP$ $VP$ $C$ $C_7$ $C_7$ $C_7$ $C_7$

Table 11. Initial matrix of the F-MARCOS

Cumplion		$\mathcal{C}_1$			$C_2$			$C_3$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	
PT.ISBS	4.36	5.62	6.43	2.67	3.68	4.83	4.74	5.80	7.22	
PT.MS	2.54	3.50	4.90	4.66	5.52	6.77	4.15	6.11	6.53	
PT.CBS	3.55	4.36	5.62	2.63	3.50	4.99	3.74	5.81	6.11	
PT.JCT	4.08	5.16	6.12	5.52	6.43	7.61	2.14	3.16	4.36	
Supplier		$C_4$			$C_6$			$C_7$		
Supplier	$n_1$	$C_4$ $n_2$	$n_3$	$n_1$	$C_6$ $n_2$	$n_3$	$n_1$	$C_7$ $n_2$	$n_3$	
Supplier PT.ISBS	n <sub>1</sub> 4.36		n <sub>3</sub> 6.43	n <sub>1</sub> 2.67		n <sub>3</sub> 4.83	n <sub>1</sub> 4.74	•	n <sub>3</sub> 7.22	
		$n_2$			$n_2$			$n_2$		
PT.ISBS	4.36	n <sub>2</sub> 6.02	6.43	2.67	n <sub>2</sub> 3.32	4.83	4.74	n <sub>2</sub> 5.52	7.22	

Table 12. Extended initial matrix of the F-MARCOS

Supplier		$C_1$			$\mathcal{C}_2$			$C_3$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	
$A_{AI}$	2.54	3.50	4.90	2.63	3.50	4.83	2.14	3.16	4.36	
PT.ISBS	4.36	5.62	6.43	2.67	3.68	4.83	4.74	5.80	7.22	
PT.MS	2.54	3.50	4.90	4.66	5.52	6.77	4.15	6.11	6.53	
PT.CBS	3.55	4.36	5.62	2.63	3.50	4.99	3.74	5.81	6.11	
PT.JCT	4.08	5.16	6.12	5.52	6.43	7.61	2.14	3.16	4.36	
$A_{ID}$	4.36	5.62	6.43	5.52	6.43	7.61	4.74	6.11	7.22	
Supplier		$C_4$			$C_6$			$C_7$		
- Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	
$A_{AI}$	2.54	3.68	4.90	2.37	3.32	4.66	2.14	2.54	4.36	
PT.ISBS	4.36	6.02	6.43	2.67	3.32	4.83	4.74	5.52	7.22	
PT.MS	2.54	3.68	4.90	4.66	5.16	6.77	4.15	5.71	6.53	
PT.CBS	3.55	4.83	5.62	2.37	3.50	4.66	3.74	5.81	6.11	
							0 1 4			
PT.JCT	4.36	5.16	6.43	5.52	6.12	7.61	2.14	2.54	4.36	

Table 13. Normalized extended initial matrix of the F-MARCOS

Supplier		$\mathcal{C}_1$			$C_2$		$C_3$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$
$A_{AI}$	0.39	0.45	0.58	0.35	0.41	0.48	0.30	0.35	0.45
PT.ISBS	0.39	0.45	0.58	0.54	0.71	0.98	0.30	0.37	0.45
PT.MS	0.52	0.72	1.00	0.39	0.48	0.56	0.33	0.35	0.52
PT.CBS	0.45	0.58	0.71	0.53	0.75	1.00	0.35	0.37	0.57
PT.JCT	0.41	0.49	0.62	0.35	0.41	0.48	0.49	0.68	1.00
$A_{ID}$	0.52	0.72	1.00	0.54	0.75	1.00	0.49	0.68	1.00
		$C_4$			$C_6$			$C_7$	
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$
$A_{AI}$	0.39	0.57	0.76	0.31	0.44	0.61	0.30	0.35	0.60
PT.ISBS	0.68	0.93	1.00	0.35	0.44	0.63	0.66	0.76	1.00
PT.MS	0.39	0.57	0.76	0.61	0.68	0.89	0.57	0.79	0.90
PT.CBS	0.55	0.75	0.87	0.31	0.46	0.61	0.52	0.80	0.85
PT.JCT	0.68	0.80	1.00	0.73	0.80	1.00	0.30	0.35	0.60
$A_{ID}$	0.68	0.93	1.00	0.73	0.80	1.00	0.66	0.80	1.00

Table 14. Weighted by the normalized extended initial matrix

Supplier		$C_1$			$C_2$			$\mathcal{C}_3$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	
$A_{AI}$	0.39	0.45	0.58	0.35	0.41	0.48	0.30	0.35	0.45	
PT.ISBS	0.39	0.45	0.58	0.54	0.71	0.98	0.30	0.37	0.45	
PT.MS	0.52	0.72	1.00	0.39	0.48	0.56	0.33	0.35	0.52	
PT.CBS	0.45	0.58	0.71	0.53	0.75	1.00	0.35	0.37	0.57	
PT.JCT	0.41	0.49	0.62	0.35	0.41	0.48	0.49	0.68	1.00	
$A_{ID}$	0.52	0.72	1.00	0.54	0.75	1.00	0.49	0.68	1.00	
Cumplian		$C_4$			$C_6$			$C_7$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	
$A_{AI}$	0.39	0.57	0.76	0.31	0.44	0.61	0.30	0.35	0.60	
PT.ISBS	0.68	0.93	1.00	0.35	0.44	0.63	0.66	0.76	1.00	
PT.MS	0.39	0.57	0.76	0.61	0.68	0.89	0.57	0.79	0.90	
PT.CBS	0.55	0.75	0.87	0.31	0.46	0.61	0.52	0.80	0.85	
PT.JCT	0.68	0.80	1.00	0.73	0.80	1.00	0.30	0.35	0.60	
$A_{ID}$	0.68	0.93	1.00	0.73	0.80	1.00	0.66	0.80	1.00	

Table 15. Final value of suppliers

Supplier	$K_i^-$			$K_i^+$			$f(K_i^-)$		
Supplier	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$	$n_1$	$n_2$	$n_3$
PT.ISBS	0.589	1.381	3.085	0.347	0.764	1.753	0.235	0.551	1.230
PT.MS	0.574	1.349	3.050	0.338	0.746	1.733	0.229	0.538	1.216
PT.CBS	0.553	1.376	3.062	0.326	0.761	1.740	0.220	0.549	1.221
PT.JCT	0.629	1.432	3.288	0.371	0.792	1.868	0.251	0.571	1.311
Supplier	$n_1$	$f(K_i^+) \\ n_2$	$n_3$	$K_{i\ crisp}^{-}$	$K_{i\ crisp}^{+}$	$f(K_i^-)_c$	$f(K_i^+)_c$	$f(K_i)_{cris}$	Rank
PT.ISBS	0.138	0.305	0.699	1.533	0.859	0.611	0.343	0.81941	2
PT.MS	0.135	0.297	0.691	1.503	0.843	0.599	0.336	0.7878	4
PT.CBS	0.130	0.303	0.693	1.520	0.852	0.606	0.340	0.80528	3
PT.JCT	0.148	0.316	0.745	1.608	0.901	0.641	0.359	0.90114	1

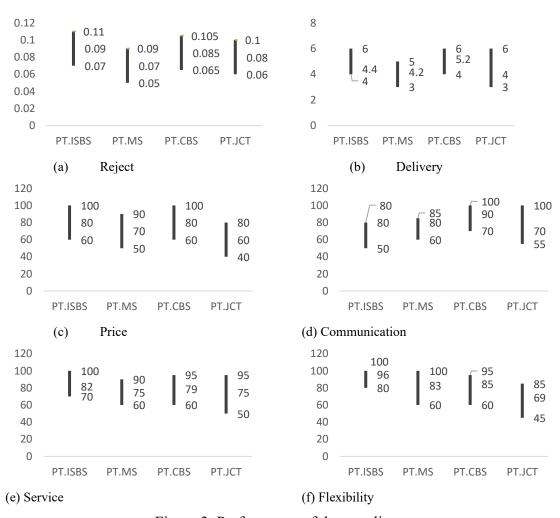


Figure 3. Performance of the suppliers.

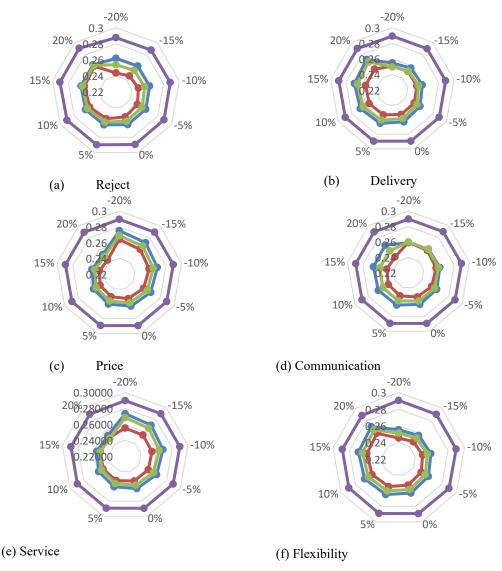


Figure 4. Sensitivity analysis.

#### 3.2. Discussion

The ranking of supplier evaluation for PT. Wika Beton is PT. JCT, PT. ISBS, PT. CBS, and PT. MS. The weight of the criteria and supplier performance determines this evaluation. The crisp values after normalization for the weights of reject, delivery, price, communication, service, and flexibility are 0.159, 0.134, 0.204, 0.204, 0.174, and 0.126, respectively. If associated with supplier performance, as seen in Figures 3(c) and 3(d), PT. JCT has the lowest price compared to others; likewise, for the performance of the communication sector, PT. JCT has a relatively higher performance value than others. At the same time, the weight of the price and communication criteria is the largest, making PT. JCT is the best supplier candidate. The weight of the reject and delivery criteria is only fourth and fifth, so their contribution is not the most significant. However, based on Figures 3(a) and 3(b), PT JCT's reject and delivery performance is excellent. In general, PT.JCT performs well in all criteria except flexibility, with the lowest weight of the flexibility criteria. Even the performance of the price criteria is the best, with the highest weight of the price criteria. So, the proposed method is the best one for providing the best alternative for PT. Wika Beton is determining suppliers to increase its production.

Supplier

PT.ISBS

PT.MS

PT.CBS

PT.JCT

Utility

function

0.7504

0.7435

0.7869

0.7202

2

3

1

4

0.7524

0.7491

0.7904

0.7205

2

3

1

4

Moreover, managers should emphasize considerations beyond cost, which have been overshadowed due to the product's critical role in the organization's survival and elevated demand. The production process should function efficiently by emphasizing the reject and delivery criteria. Therefore, besides the lowest price, the supplier exhibiting the quickest delivery time and lowest rejection should be prioritized and regarded as the optimal choice, regardless of their performance in other domains.

A sensitivity analysis is needed to validate the proposed method, with changes for each weight range from -5% to 20%. Based on Figure 4, the proposed method is not sensitive to changes in the criteria weight because the supplier ranking does not change. So, the proposed method is valid. Based on Figures 4.b and 4.d, changes in the delivery and communication criteria weight will start to cause changes in the second and third supplier rankings if they are below 20%. Meanwhile, changes in the weight of the reject and service criteria will start to cause changes in the second and third supplier rankings if they exceed 20% (see Figures 4(a) and 4(e)). Based on Figures 4.c and 4.f, regardless of the change in the weight of the price and flexibility criteria, it does not affect the supplier ranking.

MARCOS (Stević et F-SWARA F-F SWARA MARCOS F-MARCOS (Ecer MARCOS (Tus and Proposed method al. [2], Paradowski (Tadić et al. [21]) and Pamucar [22]) and Szyjewski [10]) Aytac-Adali [8]) Utility Utility Utility Utility Rank Rank Rank Rank Rank function function function function

1

3

2

4

0.9654

0.9488

0.9774

0.9294

3

2

1

4

0.8194

0.7878

0.8053

0.9011

2

4

3

Table 16. Supplier rank for each hybrid MARCOS method

0.8070

0.7782

0.8057

0.7756

Table 17 Borda count for each	performance's selected supplier
Table 17. Bolda coulit for cacil	periormance s selected supplier

			1		11		
Crite ria		MARCOS (Stević et al. [2], Paradowski and Szyjewski [10]) - PT.CBS	F SWARA MARCOS (Tadić et al. [21]) - PT.CBS	F-MARCOS (Ecer and Pamucar [22]) - PT.ISBS	F-SWARA F-MARCOS (Tus and Aytac-Adali [8]) - PT.CBS	Proposed method - PT.JCT	
	Performance	0.065	0.065	0.07	0.065	0.06	
$C_1$	Rank	2	2	3	2	1	
	Borda	3	3	1	3	5	
	Performance	4	4	4	4	3	
$C_2$	Rank	2	2	2	2	1	
	Borda	2.5	2.5	2.5	2.5	5	
C <sub>3</sub>	Performance	60	60	60	60	40	
	Rank	2	2	2	2	1	
	Borda	2.5	2.5	2.5	2.5	5	
C <sub>4</sub>	Performance	100	100	80	100	100	
	Rank	1	1	2	1	1	
	Borda	3.5	3.5	1	3.5	3.5	
C <sub>6</sub>	Performance	60	60	70	60	50	
	Rank	2	2	1	2	3	
	Borda	3	3	5	3	1	
C <sub>7</sub>	Performance	60	60	80	60	45	
	Rank	2	2	1	2	3	
	Borda	3	3	5	3	1	
	Sum	17.5	17.5	17	17.5	20.5	

Table 16 compares the supplier's utility function and the rank of the methods. It shows that the supplier rank for each technique is different. Meanwhile, supplier selection aims to select the supplier with the best performance in each criterion. Often, no single supplier performs best across all of these criteria. So, MCDM is needed to solve this problem. The proposed method is compared with the previous methods to determine its effectiveness. This test uses the Borda count on the performance of selected suppliers for each method. The Borda count generates the overall ranking of suppliers by combining inconsistent results from different evaluation models [23]. The Borda rule suits multi-person decision-making when exploring multiple options [23]. In other words, the Borda technique assigns ranks to alternatives based on the assumption that the higher an option's position on the list, the higher its rating. The winner is the option with the highest calculated score, where each alternative is awarded a score beginning with 1 for the least favorable answer, 2 for the second worst, 3 for the third worst, and so on. The Borda score for each option is calculated by weighting all scores [23] Figure 2 shows each supplier's performance for each criterion. Table 17 shows the test results. Based on Table 18, the supplier of the proposed method has the highest Borda value. Thus, the proposed method is more effective than the previous method because it can select the supplier with the best performance.

## 4. CONCLUSION

The optimal raw material supplier for the Indonesian concrete industry was determined by material quality, competitive pricing, prompt delivery, communication, service, and flexibility. PT JCT emerged as the optimal choice, exhibiting a utility value of 0.9011. PT Wika Beton places significant emphasis on the quality of raw materials and prompt delivery. The company strategically selects raw materials at competitive prices, aligning with its cost-cutting initiatives in the supply chain to ensure customer satisfaction and maintain high service quality.

The decision to select PT JCT as the optimal supplier is justified and sound. Cost is traditionally viewed as a critical factor, often leading to immediate rejection, while other aspects are evaluated with varying degrees of importance. In Indonesia, concrete products play a crucial role in infrastructure development, and managers are responsible for ensuring the operational efficiency of their production. The sustainability of the Indonesian concrete industry is contingent upon the selection of suppliers. Selecting an appropriate supplier enhances a concrete manufacturing company's downstream operation by decreasing production costs and improving customer satisfaction.

The company in the case study experienced a 5% reduction in production costs in the later stages of the project, following several months of implementation, indicating the effectiveness of the proposed methodology. The management of the case companies is fully committed to executing the supplier ranking established in this study and allocating orders according to that ranking. This commitment demonstrates their confidence in the proposed methodology's effectiveness.

The future research: (1) consider applications in other industries; (2) the use of Deep Reinforcement Learning (DRL) in optimal supplier selection in dynamic environments; (3) the use of Machine Learning models, such as Random Forest, or Neural Networks to predict supplier performance based on historical data; (4) the use of AI to automatically determine criteria weights; (5) the use of Fuzzy Logic accompanied by AI to handle uncertainty in decision-maker preferences.

#### **ACKNOWLEDGEMENT**

The author would like to thank the management of PT Wika Beton for their technical support.

## REFERENCES

- [1] Sahoo, S. K. Goswami, S. S., Halder, R. (2024). Supplier Selection in the Age of Industry 4.0: A Review on MCDM Applications and Trends. Decision Making Advances, 2(1): 32–47, doi: 10.31181/dma21202420.
- [2] Stević, Ž., Pamučar, D., Puška, A., Chatterjee, P. (2020). Sustainable supplier selection in healthcare industries using a new MCDM method: Measurement of alternatives and ranking according to Compromise solution (MARCOS). Computers and Industrial Engineering, 140: 106231, doi: 10.1016/j.cie.2019.106231.
- [3] Trung, D. D. (2024). Assessing the Impact of Criterion Weights on the Ranking of the Top Ten Universities in Vietnam. Engineering, Technology and Applied Science Research, 14(4): 14899–14903, doi: 10.48084/etasr.7607.
- [4] Worku, V (2025). Formwork material selection and optimization by a comprehensive integrated subjective—objective criteria weighting MCDM model. Discover Materials, 5(2): 2025, doi: 10.1007/s43939-024-00162-x.
- [5] Badi, I., Pamucar, D. (2020). Supplier selection for steelmaking company by using combined grey-marcos methods. Decision Making: Applications in Management and Engineering, 3(2): 37–47, doi: 10.31181/dmame2003037b.
- [6] Chattopadhyay, R., Chakraborty, S., Chakraborty, S. (2020). An Integrated D-Marcos Method for Supplier. Decision Making: Applications in Management and Engineering, 3(2): 49–69.
- [7] Taş, M. A., Çakır, E., Ulukan, Z. (2021). Spherical fuzzy SWARA-MARCOS approach for green supplier selection. 3C Tecnología\_Glosas de innovación aplicadas a la pyme, Edición Es(special issue 7): 115–133, doi: 10.17993/3ctecno.2021.specialissue7.115-133.
- [8] Tus, A., Aytac Adali, E. (2022). Green Supplier Selection Based on the Combination of Fuzzy SWARA (SWARA-F) and Fuzzy MARCOS (MARCOS-F) Methods. Gazi University Journal of Science, 35(4): 1535–1554, doi: 10.35378/gujs.978997.
- [9] Wang, Y., Wang, W., Wang, Z., Deveci, M., Roy, S. K., Kadry, S. (2024). Selection of sustainable food suppliers using the Pythagorean fuzzy CRITIC-MARCOS method. Information Sciences, 664: 120326, doi: 10.1016/j.ins.2024.120326.
- [10] Paradowski, B., Szyjewski, Z. (2022). Comparative analyses of multi-criteria methods in supplier selection problem. Procedia Computer Science, 207: 4593–4602, doi: 10.1016/j.procs.2022.09.523.
- [11] Abdulla, A., Baryannis, G., Badi, I. (2023). An integrated machine learning and MARCOS method for supplier evaluation and selection. Decision Analytics Journal, 9: 100342, doi: 10.1016/j.dajour.2023.100342.
- [12] Naghipour, M. S., Rahim, Z. A., Iqbal, M. S. (2024). A 5G competency model based on the fuzzy Delphi method. Journal of Infrastructure, Policy and Development, 8(10): 6788, doi: 10.24294/jipd.v8i10.6788.
- [13] Ahmed, O. S., Al-Gahtani, K. S., Altuwaim, A. (2025). Cost–Benefit Framework for Selecting a Highway Project Using the SWARA Approach. Buildings, 15(3): 439, doi: 10.3390/buildings15030439.
- [14] Aris, N., Dayana, N., Abd, B., Hanani, N., Nidzam, M. (2025). Determining Design Thinking Elements in Chemistry Classroom Teaching Strategies: A Fuzzy Delphi Method. Eclética Química, 50: e–1566, doi: 10.26850/1678-4618.eq.v50.2025.e1566.
- [15] Erdiani, N., Hashim, H., Sulaiman, N. A. (2024). Application of Fuzzy Delphi Method to Identify the Construct for Designing and Developing the Multimodal Learning Framework for Writing Skills in ESL Context. International Journal of Communication Networks and Information Security, 16(S1): 1085-1097.
- [16] Keshavarz-Ghorabaee, M. (2021). Assessment of distribution center locations using a multi-expert subjective-objective decision-making approach. Scientific Reports, 11(1): 1–20, doi:

- 10.1038/s41598-021-98698-y.
- [17] Çelebi Demirarslan, P., Sönmez Çakır, F., Akansel, I. (2024). Ranking the quality of life indexes by years in Asian countries using multi-criteria decision-making methods. Asia-Pacific Journal of Regional Science, 8(3): 911-942, doi: 10.1007/s41685-024-00350-w.
- [18] Abdi, A. P., Damci, A., Kirca, O., Turkoglu, H., Arditi, D., Demirkesen, S., Korkmaz, M., Arslan, A. E. (2024). A Spatial Decision-Support System for Wind Farm Site Selection in Djibouti. Sustainability, 16(22): 9635, doi: 10.3390/su16229635.
- [19] Grzywacz, N. M. (2025). Perceptual Complexity as Normalized Shannon Entropy. Entropy, 27(2): 166.
- [20] Stanković, M., Stevi´, Ž., Das, D. K., Suboti´, m., Pamuˇcar, D. (2020). A New Fuzzy MARCOS Method for Road Tra ffi c Risk Analysis. Mathematics, 8: 457.
- [21] Tadić, S., Kilibarda, M., Kovač, M., Zečević, S. (2021). the Assessment of Intermodal Transport in Countries of the Danube Region. International Journal for Traffic and Transport Engineering, 11(3): 375–391, doi: 10.7708/ijtte2021.11(3).03.
- [22] Ecer, F., Pamucar, D. (2021). MARCOS technique under an intuitionistic fuzzy environment for determining the COVID-19 pandemic performance of insurance companies in terms of healthcare services. Applied Soft Computing, 104: 107199, doi: 10.1016/j.asoc.2021.107199.
- [23] Oufella, S. (2024). Hybrid use of Borda count and PROMETHEE method for maintenance strategy selection problem. Foundations of Computing and Decision Sciences, 49(2): 139–160, doi: 10.2478/fcds-2024-0009.